

Precise Measurements of the Cosmic Microwave Background Temperature at $z = 0.68$ and $z = 0.89$



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image: ESA and the Planck Collaboration

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1. Background

Cosmic Microwave Background (CMB)

- Blackbody radiation at $T_{\text{CMB}}^0 = 2.725 \pm 0.001$ K [Fixsen 2009](#)
- Observational evidence for the Big Bang model

Super hot and dense state $\xrightarrow{\text{Adiabatic expansion}}$ Today

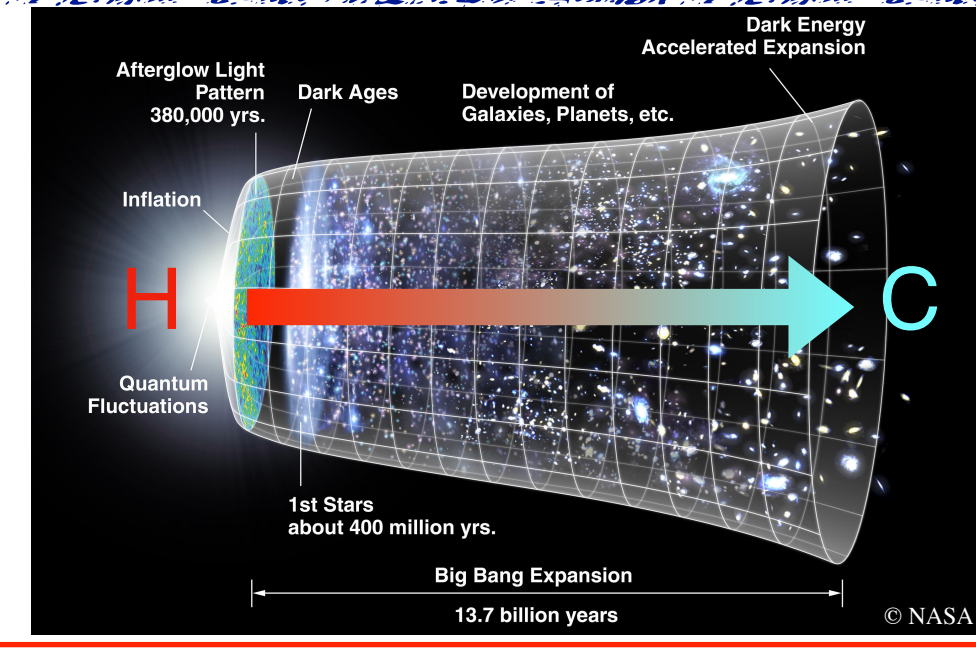


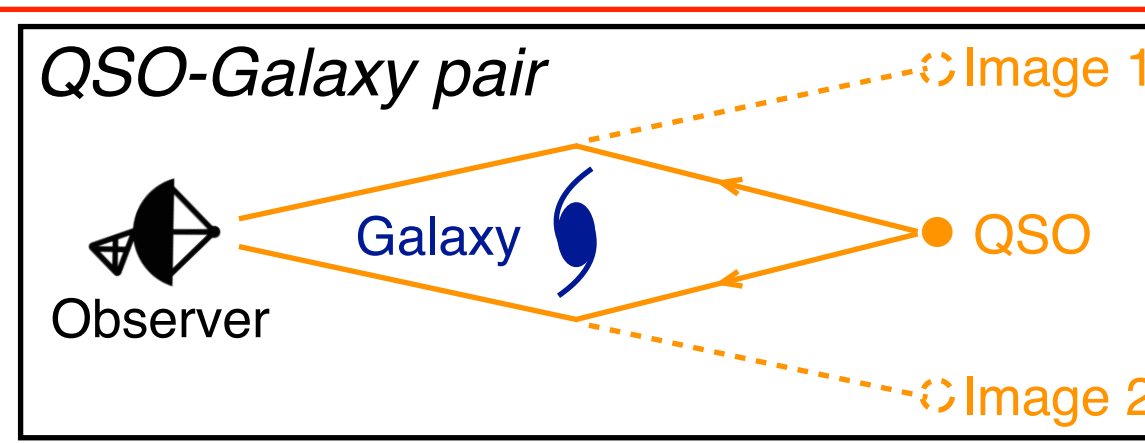
Fig.1 The Big Bang model.

Redshift Dependence of CMB Temperature

- The standard Big Bang model: $T_{\text{CMB}}(z) = T_{\text{CMB}}^0(1+z)$
- Previous measurements at $z \gtrsim 1$: Quasar absorption lines

- Elec. trans. of C I or CO @UV
- Rot. trans. of molecules @mm $\rightarrow T_{\text{CMB}}(0.89) = 5.08 \pm 0.10$ K [Muller et al. 2013](#)

Cosmological model can be tested by measuring $T_{\text{CMB}}(z)$ at various redshifts



Target Quasar Absorption Line Systems

Quasar	z_{emi}	z_{abs}	Line of sight	Molecular Species
PKS1830-211	2.51	0.89	SW	> 60
B0218+357	0.94	0.68	A	~ 20

e.g., [Lidman et al. 1999](#); [Cohen et al. 2003](#); [Wiklind & Combes 1995, 1996](#)

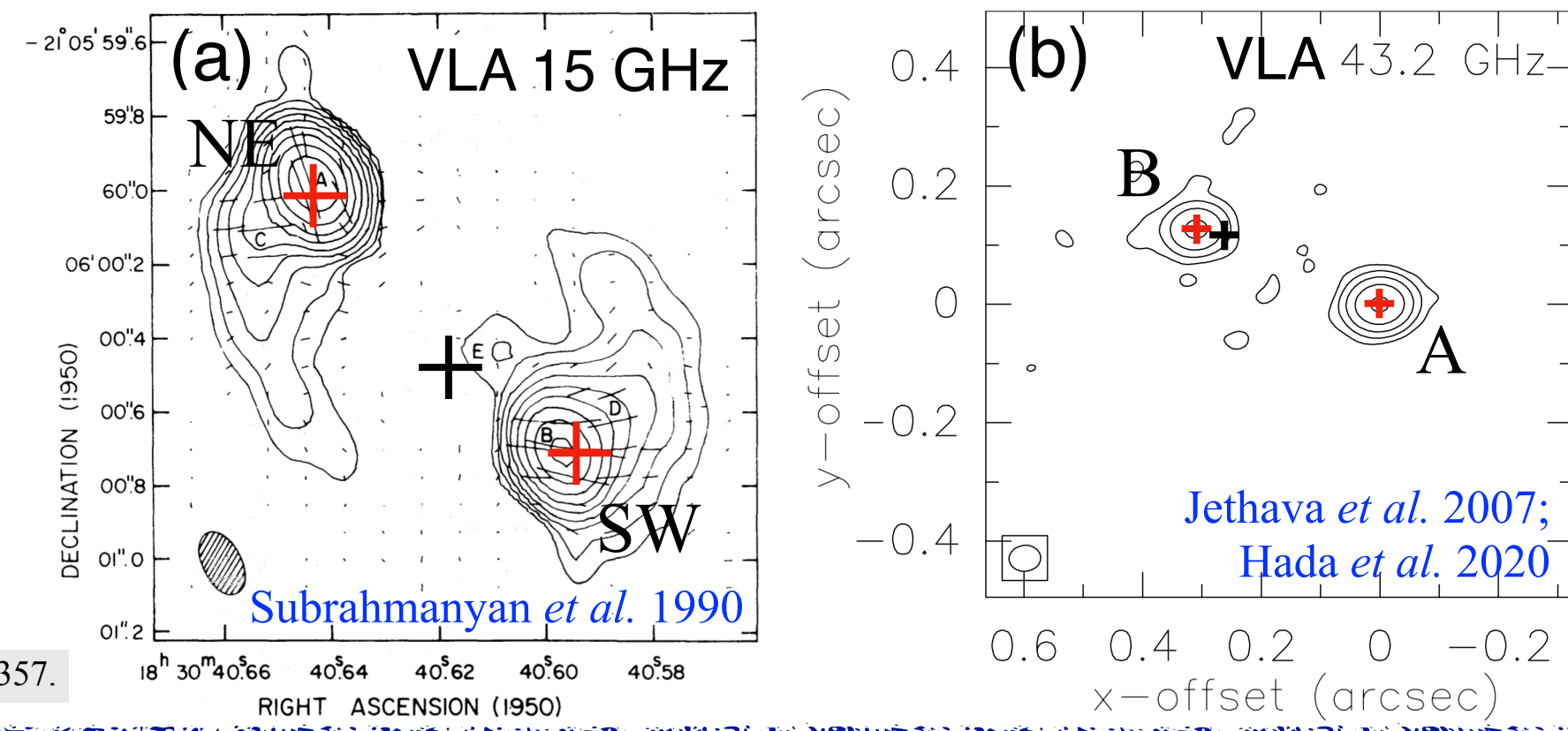


Fig.2 The images of (a) PKS1830-211 and (b) B0218+357.

3. Analyses

Optical Depth

- Derivation

$$\tau_{\text{obs}} = -\ln\left(1 - \frac{\Delta I}{f_c I_c}\right)$$

f_c : continuum covering factor

- Non-uniformity correction

* Actual optical depth $\tau_{\text{real}} \propto N \rightarrow$ Assume a log-normal distribution of Orion A GMC

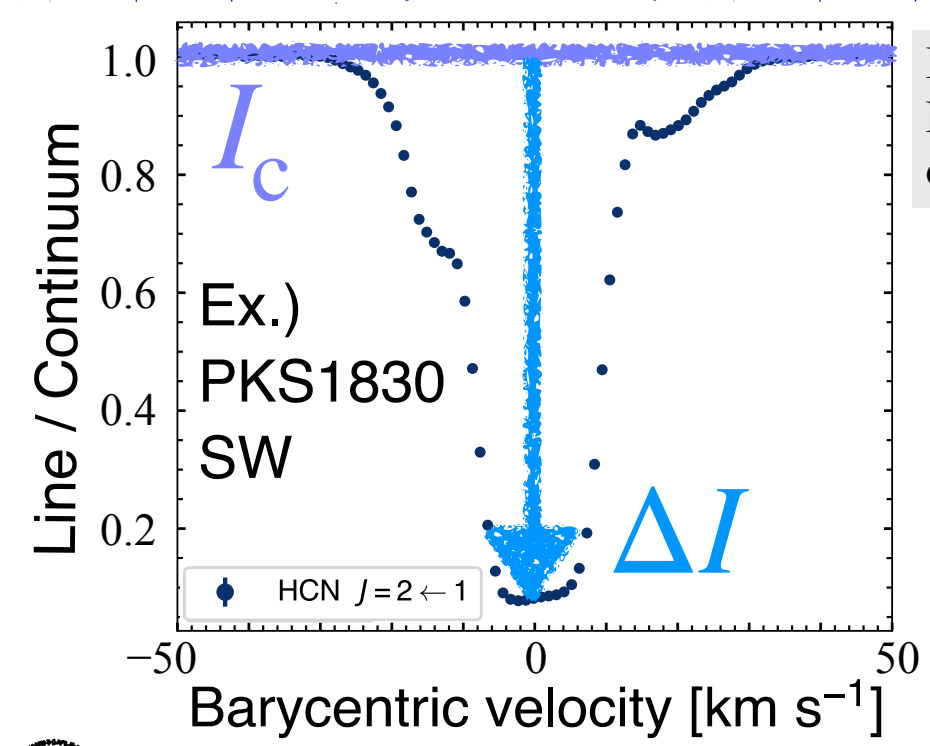
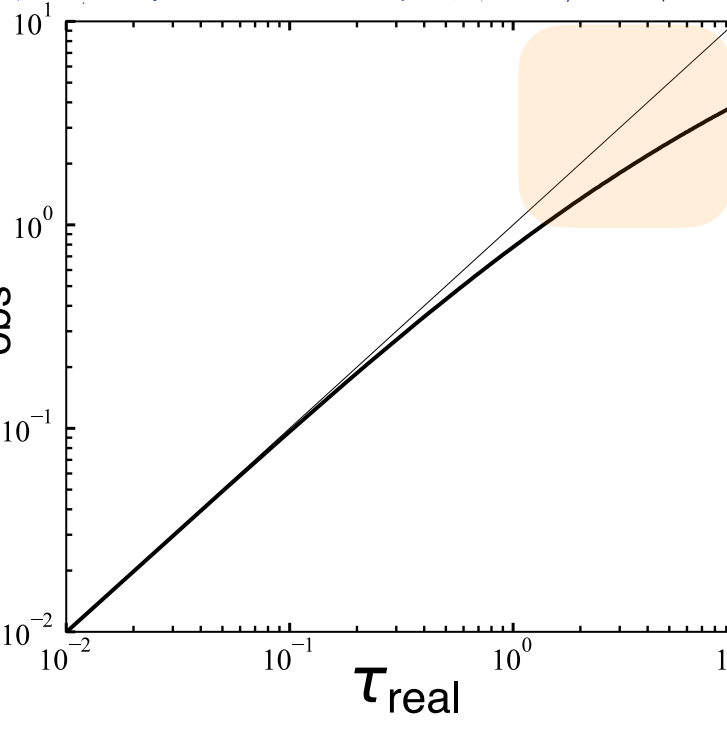


Fig.5 Derivation of optical depth.

Fig.6 Calculated relationship between τ_{obs} and τ_{real} .



τ_{obs} are underestimated

Convert τ_{obs} to τ_{real} & Correct for underestimation

Comparable to each absorber ($\sim 1.5 \times 10^{22} \text{ cm}^{-2}$) [Ma et al. 2020](#)

Excitation Temperature and Column Density

- Assumption: Weak-LTE [Wiklind & Combes 1995](#)

- Equations to be solved

$$\frac{8\pi\nu_0^3 \int \tau dV}{c^3 A_{J+1,J} g_{J+1}} = \frac{N}{Z(T_{\text{ex}})} \frac{e^{-E_{J+1}/kT_{\text{ex}}}}{e^{E_J/kT_{\text{ex}}} - 1}$$

T_{ex} and N are determined by the weighted least-squares fitting

4. Results

PKS1830-211

Optical Depth / Excitation Temperature Profiles

- Resampled onto the velocity grid of the $J=5-4$ data

* $V_{\text{bar}} = -3 \sim +3 \text{ km s}^{-1}$ comp.

$J=2-1$ & $J=3-2$ lines are saturated $\rightarrow f_c$ can be constrained to 0.91-0.92 from the bottoms

CMB Temperature

- Physical conditions:

$$n_{\text{H}_2} \sim 2600 \text{ cm}^{-3} \ll n_{\text{crit}}^{\text{HCN}}$$

[Henkel et al. 2009](#)

$\rightarrow$ Collisional excitation is negligible

$$T_{\text{CMB}} = T_{\text{ex}}$$

[Wiklind & Combes 1996](#); [Menten et al. 1999](#)

- T_{ex} for this comp. are the most reliable estimate of T_{CMB}

$$\langle T_{\text{ex}} \rangle = \frac{\sum T_{\text{ex}}}{\sum \frac{1}{\sigma_{T_{\text{ex}}}^2}}$$

$$T_{\text{CMB}}(0.89) = 5.13 \pm 0.06 \text{ K}$$

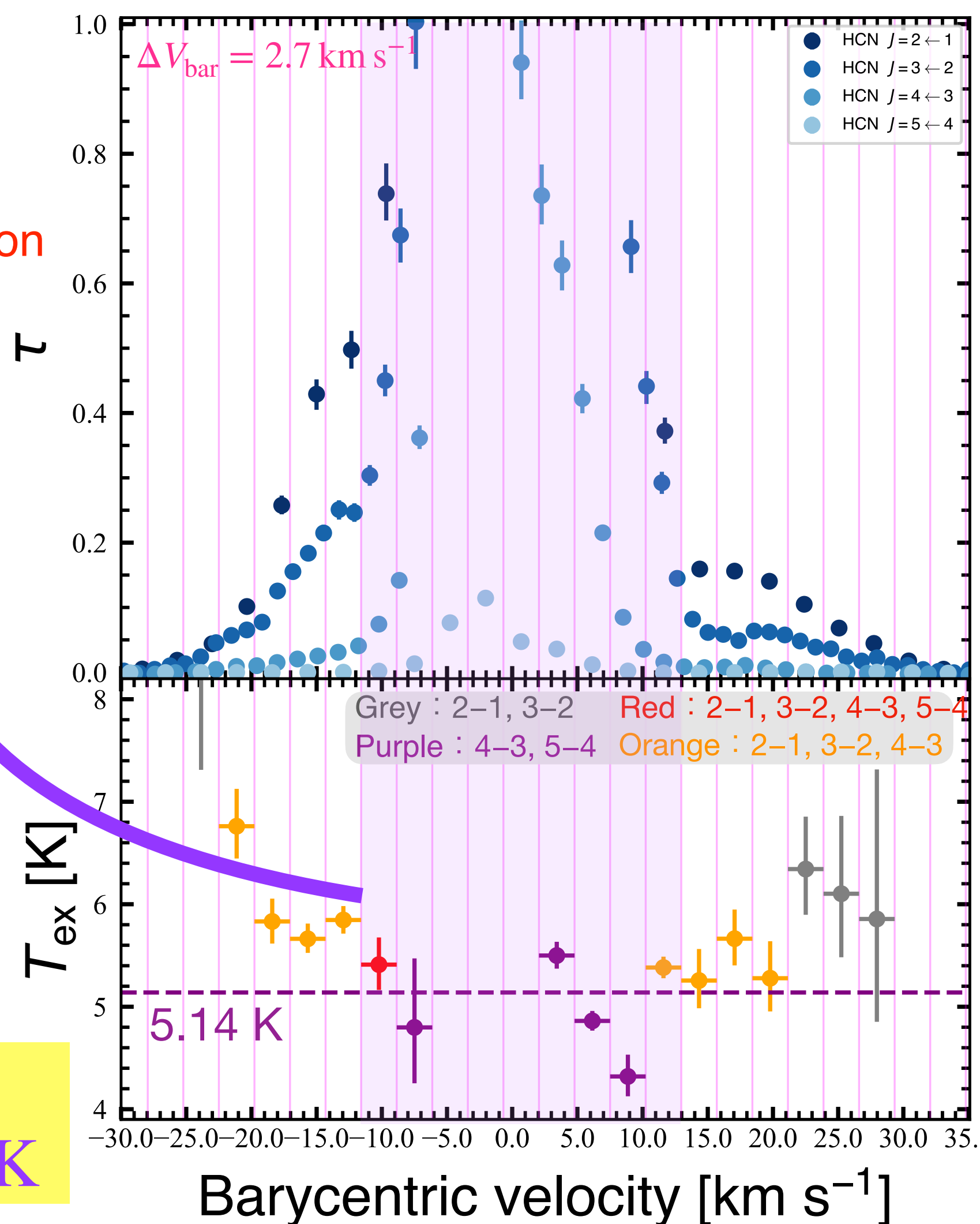


Fig.7 Optical depth profiles (Top) and excitation temperature profiles (Bottom). Colors represent the J transition sets used to derive T_{ex} and N .

B0218+357

Optical Depth / Excitation Temperature Profiles

- Resampled onto the velocity grid of the $J=3-2$ data

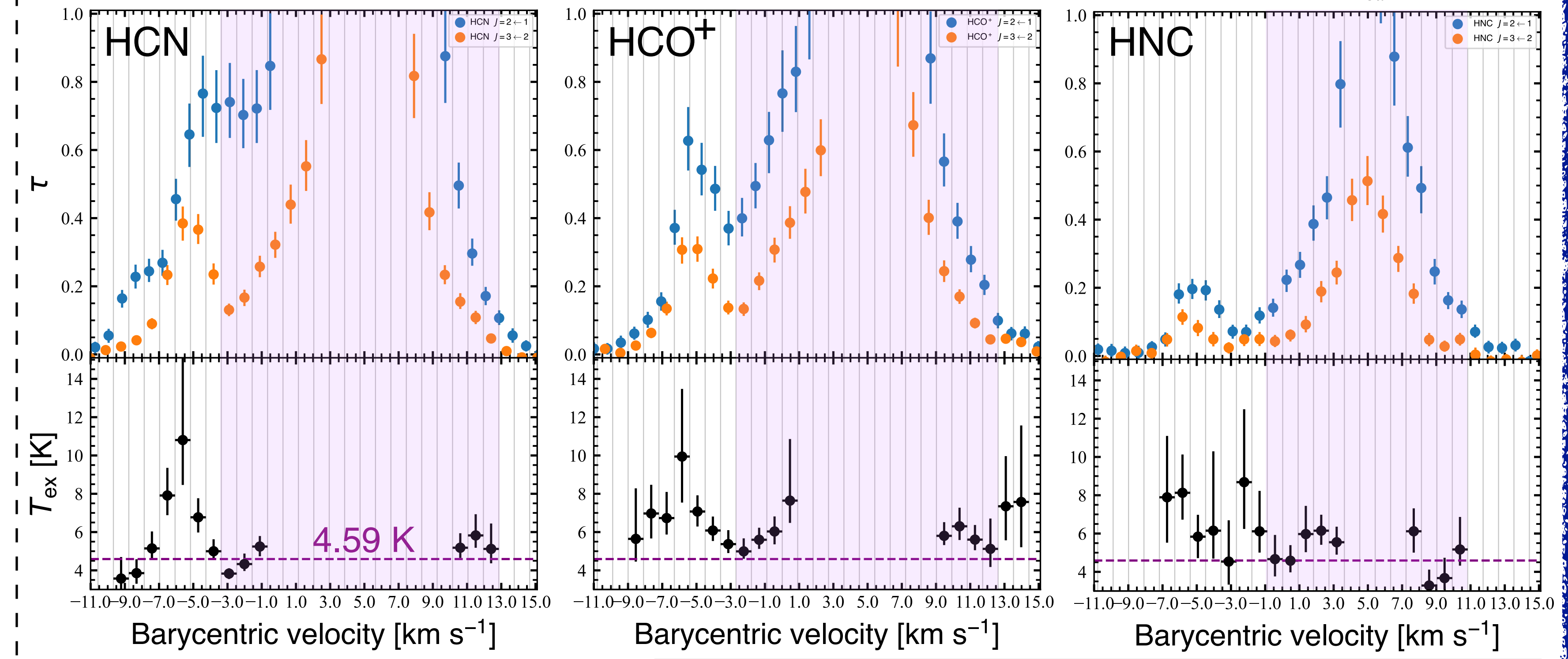


Fig.8 Optical depth profiles (Top) and excitation temperature profiles (Bottom) of HCN, HCO+, and HNC.

* $V_{\text{bar}} = +5 \text{ km s}^{-1}$ comp.

HCN $J=2-1$ line is saturated $\rightarrow f_c$ can be constrained to ~ 0.8

CMB Temperature

Weighted mean of $+5 \text{ km s}^{-1}$ comp.

RADEX calculations [van der Tak et al. 2007](#), [Henkel et al. 2005](#), [Zeiger & Darling 2010](#)

- * HCO+ { 1. Lowest n_{crit} $\rightarrow$ Sensitive to collisional excitation $\rightarrow T_{\text{CMB}} \neq T_{\text{ex}}$
- 2. 3rd component contamination ($\sim 0 \text{ km s}^{-1}$)

* HCN and HNC Collisional excitation is negligible $\rightarrow T_{\text{CMB}} = T_{\text{ex}}$

Weighted mean

$$T_{\text{CMB}}(0.68) = 4.50 \pm 0.17 \text{ K}$$

Consistent with $T_{\text{CMB}}(z) = T_{\text{CMB}}^0(1+z)$

5. Discussion

T_{CMB} from This Study

- One of the most precise T_{CMB} measurements at $z \sim 0.7$
- Independent of SZ method
- Demonstrates power of molecular absorption

Constraints on Cosmological Models

- Previous measurements are fitted together by $T_{\text{CMB}}(z) = T_{\text{CMB}}^0(1+z)^{1-\beta}$ [Lima et al. 2000](#)

Compatible with the Standard Big Bang Model

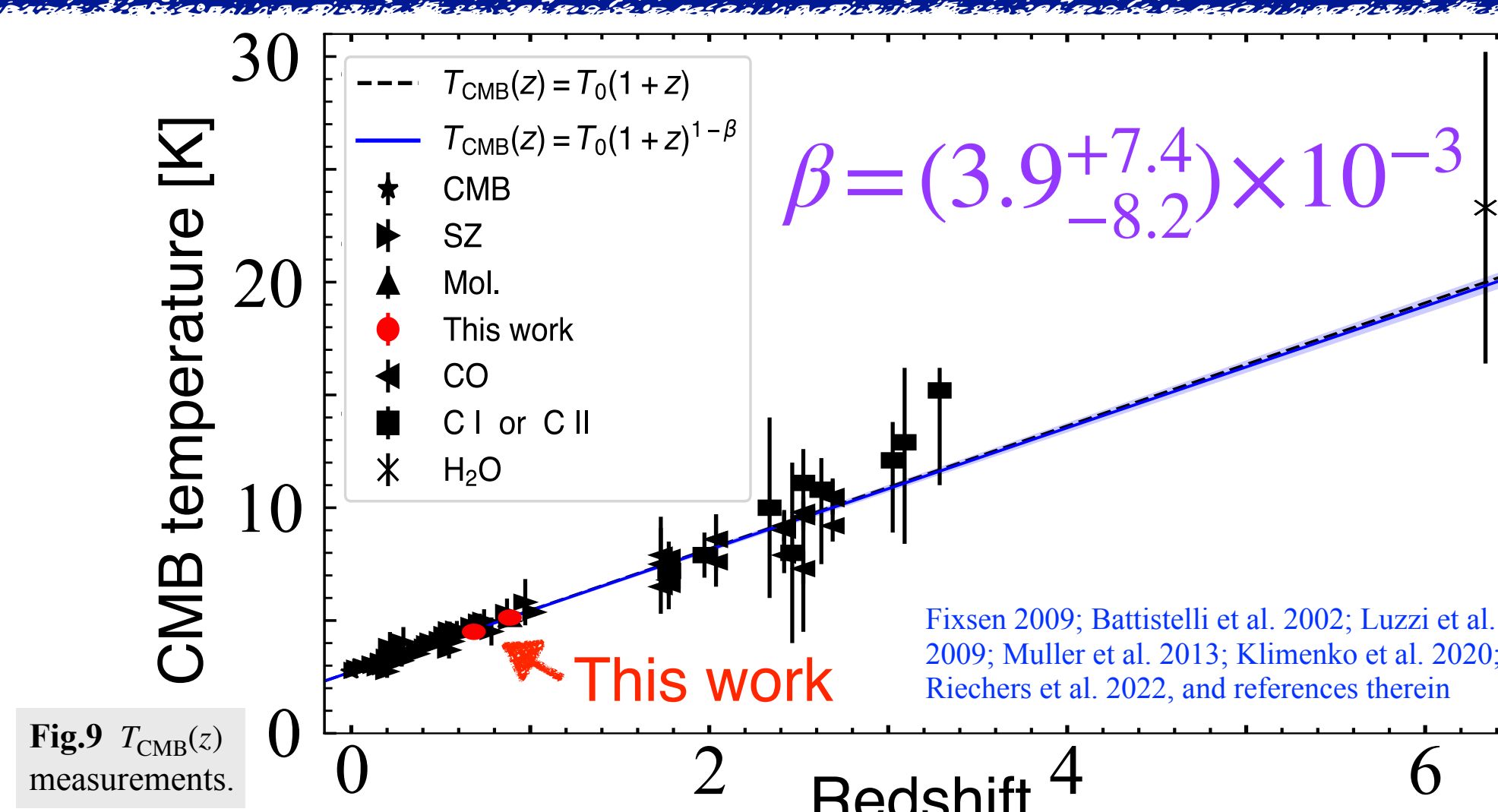


Fig.9 $T_{\text{CMB}}(z)$ measurements.

6. Future Prospects

Increase the number of $T_{\text{CMB}}(z)$ measurements

- New measurements $\rightarrow 1 < z < 2$ (NOEMA, ALMA)
- Higher precision $\rightarrow z \sim 3$ (VLA)

Looking for Promising Targets